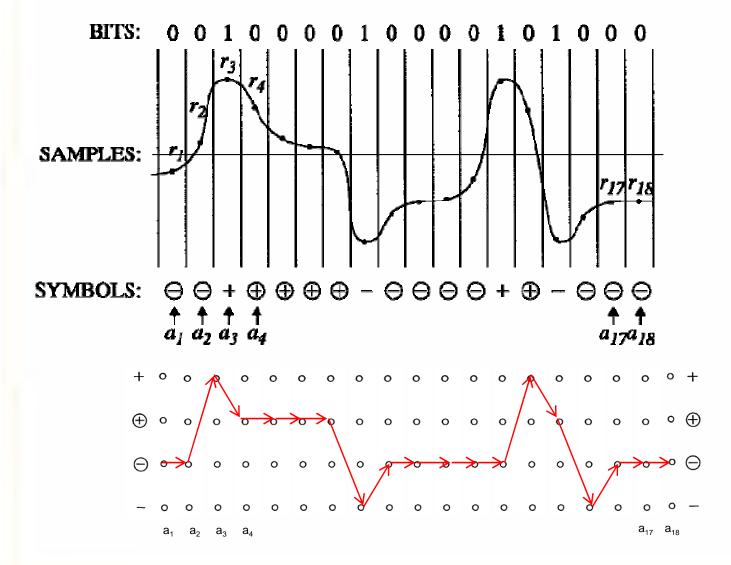
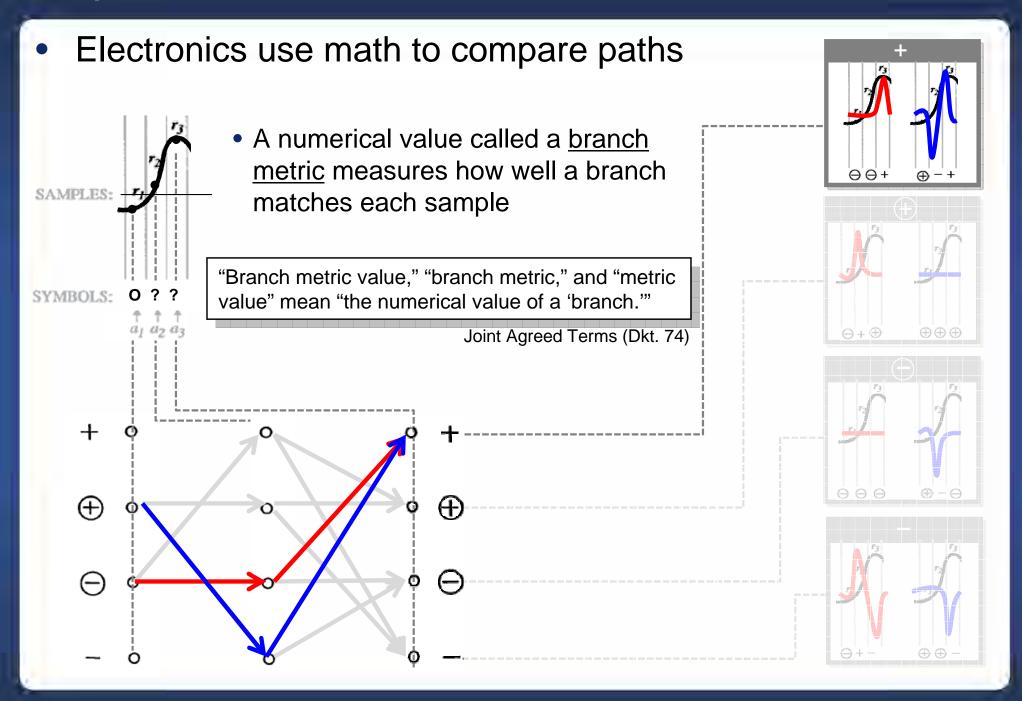


Sequence detection can proceed for all samples

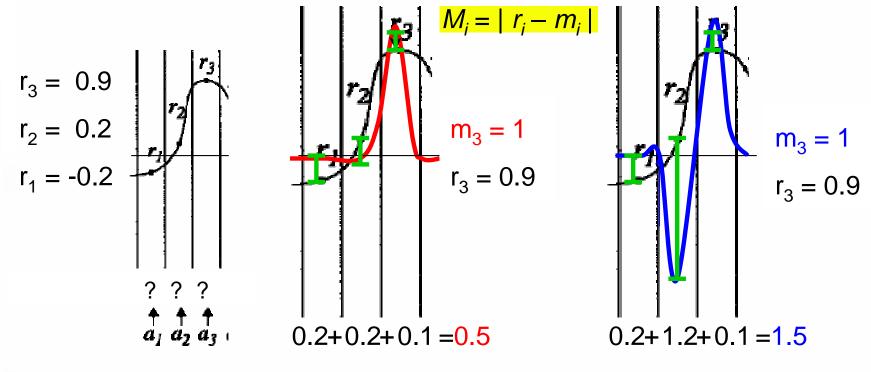


Sequence Detection — Branch Metrics



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Simple Branch Metric: measure differences



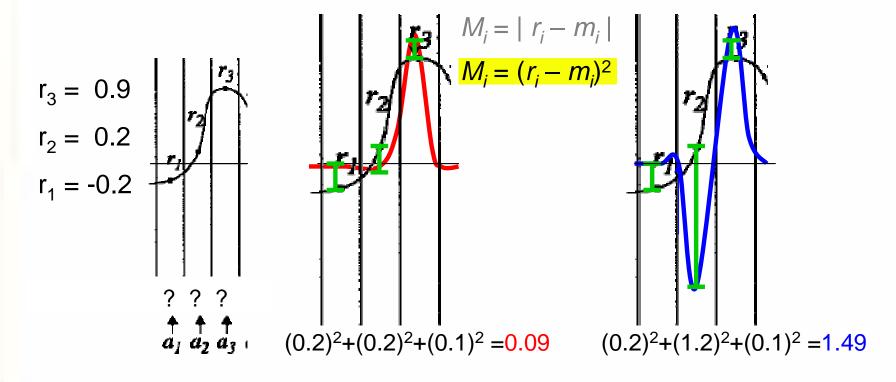
- Add (accumulate) the branch metric values to compare
- The smaller total is the best accumulated metric

A "branch metric function" is "a mathematical function for determining a 'branch metric value' for a 'branch."

Joint Agreed Terms (Dkt. 74)

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More complex branch metrics can be used



Formulas for branch metrics can account for different types of noise

Sequence Detection – Branch Metrics

- Three Branch Metrics described in patents:
 - "Euclidean"

$$M_i = N_i^2 = (\mathbf{r}_i - m_i)^2 \tag{8}$$

"Variance Dependent"

$$M_i = \log \sigma_i^2 + \frac{N_i^2}{\sigma_i^2} = \log \sigma_i^2 + \frac{(r_i - m_i)^2}{\sigma_i^2}$$

$$\tag{10}$$

"Correlation-Sensitive"

$$M_i = \log \det \frac{C_i}{\det c_i} + \underline{N}_i^T C_i^{-1} \underline{N}_i - \underline{n}_i^T c_i^{-1} \underline{n}_i$$
 (13)

'839 Patent cols. 5-7